## Answers:

Q1:
a. We're performing $64-64$. The result, stored in $\%$ ecx, is $=0$. Hence, the ZF flag is set to 1 .

When the operands are interpreted as signed integers (64 and -64), the arithmetic operation does not overflow. Hence, the OF flag is set to 0 .
When operands are interpreted as unsigned integers ( 64 and 4294967232), the arithmetic operation overflows. Hence, the CF flag is set to 1 .
When the result is interpreted as a signed integer, the result is non-negative. Hence, the SF flag is set to 0 .
b. This is $42-64$. The result is non zero. Hence the ZF flag is set to 0 .

When the operands are interpreted as signed integers (42 and -64), the arithmetic operation does not overflow. Hence the OF flag is set to 0 .
When the operands are interpreted as unsigned integers (42 and 4294967232), the arithmetic operation does not overflow. Hence, the CF flag is set to 0 .
When the result is interpreted as a signed integer, the result is negative. (We know this since the MSB of the result from the addl instruction is 1 ). Hence, the SF flag is set to 1 .
c.

The result is nonzero, and so the ZF flag is set to 0 .
When the operands are interpreted as signed integers, the arithmetic operation overflows. Hence the OF flag is set to 1 .
When the operands are interpreted as unsigned integers, the arithmetic operation does not overflow. Hence, the CF flag is set to 0 .
When the result is interpreted as a signed integer, it is negative. Hence the SF flag is set to 1 .
Q2:

| Conditional jump <br> instruction | Jump condition |
| :--- | :--- |
| je | ZF |
| jne | $\sim$ ZF |
| js | SF |
| jns | $\sim$ SF |
| jg | $\sim(S F \wedge$ OF) \& ~ZF |
| jge | $\sim(S F \wedge O F)$ |
| jl | SF $\wedge$ OF |
| jle | $\sim$ SF $\wedge$ OF) I ZF |
| ja | $\sim$ ZF |


| jae | $\sim \mathrm{CF}$ |
| :--- | :--- |
| jb | CF |
| jbe | CF $\mid \quad \mathrm{ZF}$ |

je and jne just use ZF in their conditional jumps
js and jns just use SF
jg, jge, jl, and jle use both OF and SF, since using cmp may result in an overflow, which would mean the SF should be interpreted differently.
jg and jle also use the ZF.
ja, jae, jb, and jbe use CF, since using cmp will result in a carry if the subtraction results in what "would be" a negative number.
ja and jbe also use the ZF.
Note that the condition for jg is the negation of the condition for jle , since $>$ is the negation of $\leq$. (And similarly with jl and jge, ja and jbe, and jae and jb.)

Q3.
The "jl .L7" causes the actual looping, which can be seen since you are going back up several instructions in the function.
The "addl $\$ 1$, \%ecx" instruction causes the "cmpl \%esi, \%ecx" to eventually allow us to break out of the loop. Note that the condition flags are not altered by the subsequent leal and movl instructions before the jl.

## Q4.

The entire stack will be very large, containing $\sim 50,000$ stackframes for the fibonacci function. We'll see the consequences of the stack getting too large in lecture, but you may already be familiar with the infamous "segmentation fault." Hacker tip: do not write code like this during your Google interview!

Q5.
This particular implementation of fibonacci is tail-recursive. Once a particular call to fibonacci_helper is completed, nothing about that call has to be kept around on the stack, since it is just returning the value of a subsequent call to fibonacci. If the compiler is smart, it will just reuse the same stack frame for the 99,999th call to fibonacci_helper as it used for the first, by just replacing the original arguments that the function took with the updated values. So we generally don't have to worry about this version of fibonacci causing problems for large inputs.

Q6.
a. We can see that result must be in register \%edi, since this value gets copied to $\%$ eax at the end of the function as the return value (line 13). We can see that $\%$ esi and $\%$ ebx get loaded with the values of $x$ and $n$ (lines 1 and 2), leaving $\% e d x$ as the one holding variable mask (line 4.)
b. Register $\%$ edi (result) is initialized to -1 and $\%$ edx (mask) to 1.
c. The condition for continuing the loop (line 12) is that mask is nonzero.
d. The shift instruction on line 10 updates mask to be mask $\ll \mathrm{n}$. Note $\% \mathrm{cl}$ is the lower 8 bits of $\% \mathrm{ecx}$.
e. Lines 6-8 update result to be result ${ }^{\wedge}$ (x\&mask).
f. Here is the original code:

```
int loop(int x, int n)
{
    int result = -1;
    int mask;
    for (mask = 0x1; mask != 0; mask = mask << n) {
        result ^= (x & mask);
    }
    return result;
}
```

Bonus answer:
What if the function doesn't know how many arguments it actually takes; e.g. a variable-argument function like printf? The compiled version of printf relies on the first argument to determine how arguments have been passed to it (e.g. if the first arg were " $\% \mathrm{~d} \% \mathrm{~d} \% \mathrm{~s}$ ", it'd expect 3 additional arguments). If that format string were some unknown number of bytes away from \%ebp, we'd never be able to figure out what are actually arguments to printf.

Q7:
a: Registers $\% e d i, \% e s i$, and $\% e b x$ are callee-saved registers. These registers must be saved on the stack by the callee and restored before returning, since the calling function expects them to be the same as when the callee was called.
b: \%eax, \%ecx, and \%edx are caller-saved registers. This means the callee may use and overwrite these registers without destroying any data required by the caller.
c: $16(\% \mathrm{ebp})$ refers to the 3 rd argument passed to this function. 24 ( $\% \mathrm{ebp}$ ) refers to the 4th argument passed to this function. Lines 4 and 5 result in the multiplication of the 3 rd and 4th arguments passed to this function. (We know that the first four arguments (there may be more) are all 4-bytes long, since we use "addl", "subl", etc. when dealing with them)
d. Subtracting values from \%esp creates space between $\%$ ebp and $\%$ esp where we could store local variables or place the arguments to a function that we will call.

Q8:
a. We started with $\% e s p=0 \times 800040$. Line 2 decrements it by 4 , thereby resulting in $0 \times 80003 \mathrm{C}$ in the $\% e s p$ register. Hence, this is the new value in \%ebp.
b. We can see how the two leal instructions compute the arguments to pass to scanf. Since arguments are pushed in reverse order, we can see that $x$ is at offset -4 relative to $\% e b p$ and $y$ is at offset -8 . The addresses are therefore $0 \times 800038$ and $0 \times 800034$.
c. Starting with the original value of $0 \times 800040$, line 2 decremented the stack pointed by 4 . Line 4 decremented it by 24 , and line 5 decremented it by 4 . The three pushes decremented it by 12 , resulting in an overall change of 44 . Thus, after line $10 \% e s p=0 \times 800014$.
d.


| $0 \times 80003 \mathrm{C}$ (\%ebp) | $0 \times 800060$ |
| :--- | :--- |
| $0 \times 800038$ | $0 \times 53$ |
| $0 \times 800034$ | $0 \times 46$ |
| $0 \times 800030$ |  |
| $0 \times 80002 \mathrm{C}$ |  |
| $0 \times 800028$ | $0 \times 800038$ |
| $0 \times 800024$ | $0 \times 800034$ |
| $0 \times 800020$ | $0 \times 300070$ |
| $0 \times 80001 \mathrm{C}$ |  |
| $0 \times 800018$ |  |
| $0 \times 800014$ (\%esp) |  |

The call instruction will push " 12 " onto the stack before jumping to scanf, since that is the return address where we should start executing once scanf returns.

Note: byte addresses $0 \times 800020$ to $0 \times 800033$ are unused by proc. These "wasted" spaces are allocated to improve cache performance. We'll see how and why later this semester.

